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Training for Renovated Energy Efficient Social housing

Intelligent Energy -Europe programme, contract n° EIE/05/110/SI2.420021

Intelligent Energy  Europe

Section 2 Tools 2.1 Simplified heating load calculation

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 - Transmission losses (multi layers structures, air gaps, thermal bridges)
 - Ventilation losses (ACH, air tightness, heat recovery)
 - Heat losses during a period: degree hours, balance-point temperature
- ▶ **Heat gains**
 - Solar gains, shading devices
 - Internal heat charges
- ▶ **Thermal mass**
- ▶ **Conclusions**



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Objectives and principle

- ▶ **Objective** : decrease the heating energy consumption and the heat demand
- ▶ **Principle** : decrease of the transmission and ventilation losses, utilization of the solar gains and optimization of the equipments
- ▶ **Example** : „passive house labeling” in Germany, Minergie in Switzerland
- ▶ **EPBD: European Energy Performance Directive on Buildings**,
 - in force since January 2006
 - Energy certification
 - Regular inspection of boilers and air conditioning systems
- ▶ **Tools** : simplified energy balance, dynamic simulation tools (see section 2.2)
- ▶ **European standards EN 832, EN ISO 13790**



Heating energy balance of a building

$$\Phi_{tr} + \Phi_{vent} + \Phi_{sol} + \Phi_{int} \pm \frac{\Phi_{stored}}{T} - (\Phi_H - \Phi_{system\ losses}) = 0$$

$$\Phi_H = \Phi_{tr} + \Phi_{vent} - \Phi_{sol} - \Phi_{int} \pm \frac{\Phi_{stored}}{T} + \Phi_{system\ losses} = 0$$

Φ_H

Heating load

Φ_{tr}

Transmission losses

Φ_{vent}

Ventilation losses

Φ_{sol}

Solar gains

Φ_{int}

Internal heat charges

$\frac{\Phi_{stored}}{\tau}$

Variation of stored heat in function of time

τ

$\Phi_{system\ losses}$

**Losses of the heating system
(distribution losses)**



Heating load calculation

With other words
(according to Standard EN ISO 13790)

Heating load =
= heat losses – η . (solar + internal gains) + distribution losses



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Heat losses

▶ **Transmission losses through the building envelope**

- Exposed surfaces: facade walls, roof, ground
- Openings (windows, doors)
- Thermal bridges

▶ **Ventilation losses:**

- Opening of windows
- Losses of mechanical ventilation system
- In- or exfiltration of air

▶ **Depends also on the indoor air temperature (control, zones) and the outdoor conditions (latitude, altitude)**



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TRANSMISSION LOSSES



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Transmission through multi-layer structures

$$\text{Transmission losses: } \Phi_{tr} = U \cdot A \cdot (\vartheta_i - \vartheta_e) \quad [\text{W}]$$

- ▶ U-value: Air-to-air conductance (thermal transmittance)
- ▶ R: thermal resistance of a layer

$$U = 1 / \Sigma R \quad [\text{W/m}^2/\text{K}]$$

- ▶ A: Surface of the exposed elements [m^2]
- ▶ ϑ_i : Design indoor air temperature
- ▶ ϑ_e : Design outdoor air temperature

- ▶ Total heat transfer through a building element is a result of

$$U = \frac{1}{\frac{1}{h_i} + \sum R_j + \frac{1}{h_e}} = \frac{1}{\underbrace{\left(\frac{1}{h_i} + \frac{1}{h_e}\right)}_{\substack{\text{convection,} \\ \text{radiation}}} + \sum \underbrace{\left(\frac{d_j}{\lambda_j}\right)}_{\text{conduction}}}$$



Conductivity of materials

- polystyrene

$$\lambda = 0.04 \text{ W/mK}$$

- reinforced
concrete

$$\lambda = 2,1 \text{ W/mK}$$

- wood

$$\lambda = 0.15 \text{ W/mK}$$

- glass

$$\lambda = 1 \text{ W/mK}$$

- steel

$$\lambda = 50 \text{ W/mK}$$

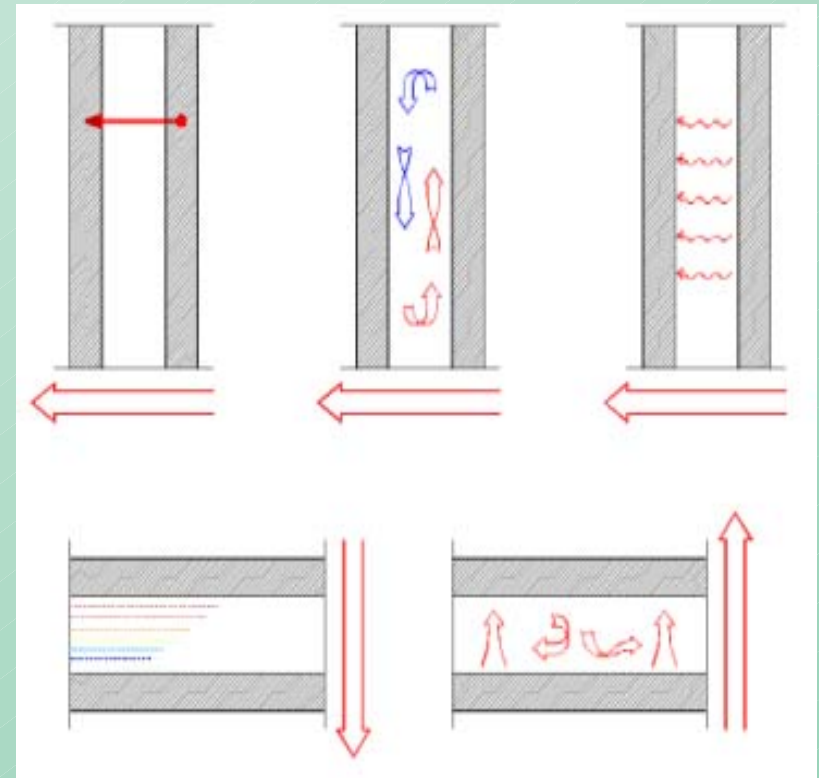


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Special cases for determining U-value: Air layers

- ▶ Air gap between two materials
- ▶ Thermal resistance depends on position, width and level of ventilation
- ▶ Thermal resistance in function of the width of air gap



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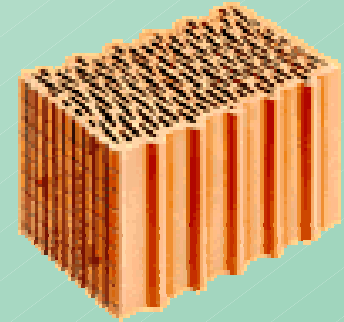


Special cases : Non homogeneous materials

Non homogeneous materials, average R (usually given by the producer)

Examples :

- ▶ **brick of 5 cm , $R = 0.11 \text{ m}^2.\text{K}/\text{W}$**
- ▶ **insulating masonry blocks (bricks with holes) of 44 cm (« Phorotherm »), $R = 2.57 \text{ m}^2.\text{K}/\text{W}$**



Walls, floor and roof

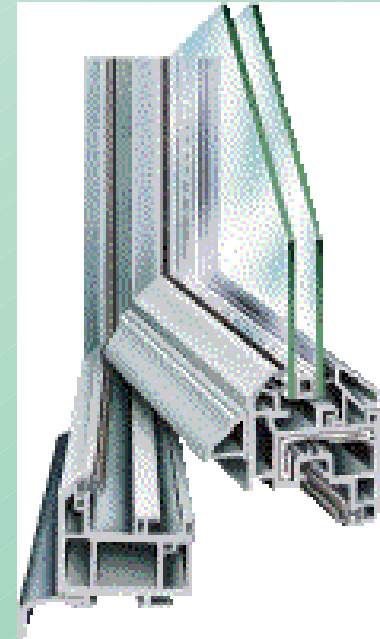
- ▶ Facades U_f A_f $U_f \cdot A_f$
- ▶ Floor U_{fl} A_{fl} $U_{fl} \cdot A_{fl}$
- ▶ Roof U_r A_r $U_r \cdot A_r$
- ▶ TOTAL $\Sigma (U \cdot A)$
- ▶ transmission heat losses :

$\Phi_T = \Sigma (U \cdot A) \cdot (\vartheta_i - \vartheta_e) +$ windows, doors and thermal bridges



Doors and windows

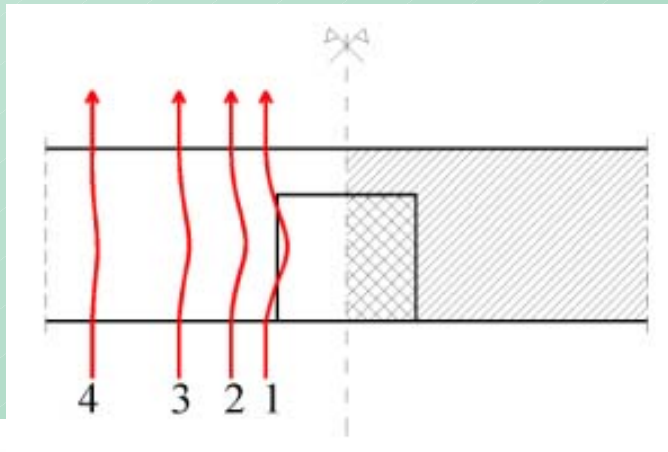
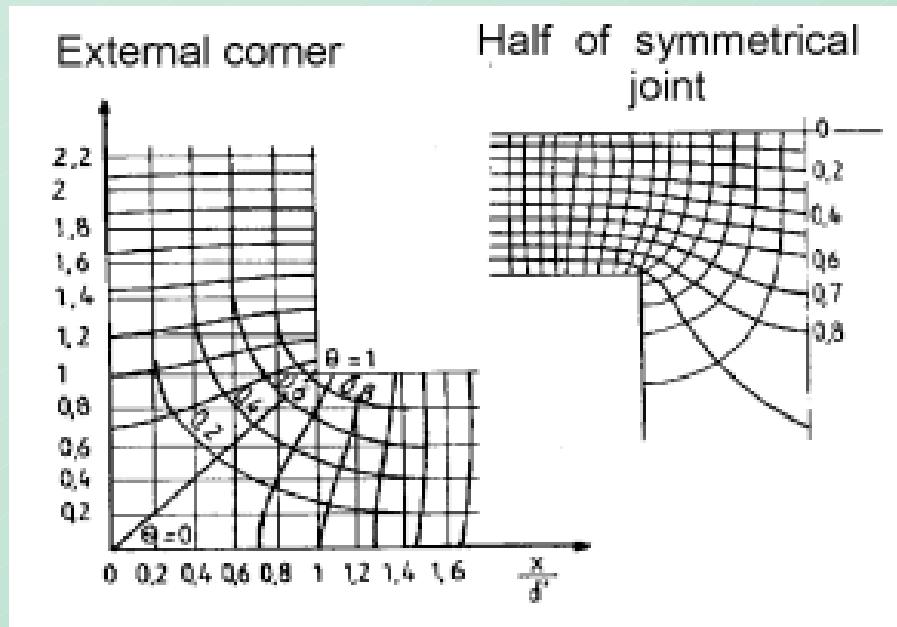
- ▶ Single glazing : $U = 5.5 \text{ W/m}^2/\text{K}$
- ▶ Double glazing : $U = 3.3 \text{ W/m}^2/\text{K}$
- ▶ + low-emissivity coating : $U=1.8 \text{ W/m}^2/\text{K}$
- ▶ + argon filling : $U = 1.1 \text{ W/m}^2/\text{K}$
- ▶ Wooden frame : $U = 2.4 \text{ W/m}^2/\text{K}$
- ▶ PVC frame : $U = 1.7 \text{ W/m}^2/\text{K}$
- ▶ Average U-value: mean value weighted with proportion of area, e.g. 75% glazing, 25% frame + losses caused by spacer
- ▶ Door : according to thickness and material (R)



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Thermal bridges



- Ψ [W/mK]: Linear heat loss.
- Can be determined using:
- ▶ Thermal bridge catalogues
 - ▶ Thermal bridge calculation tools
 - ▶ Some producers of complete construction systems publish their usual Ψ -values in catalogues



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Thermal bridges (examples)

$$\psi = 0.05$$

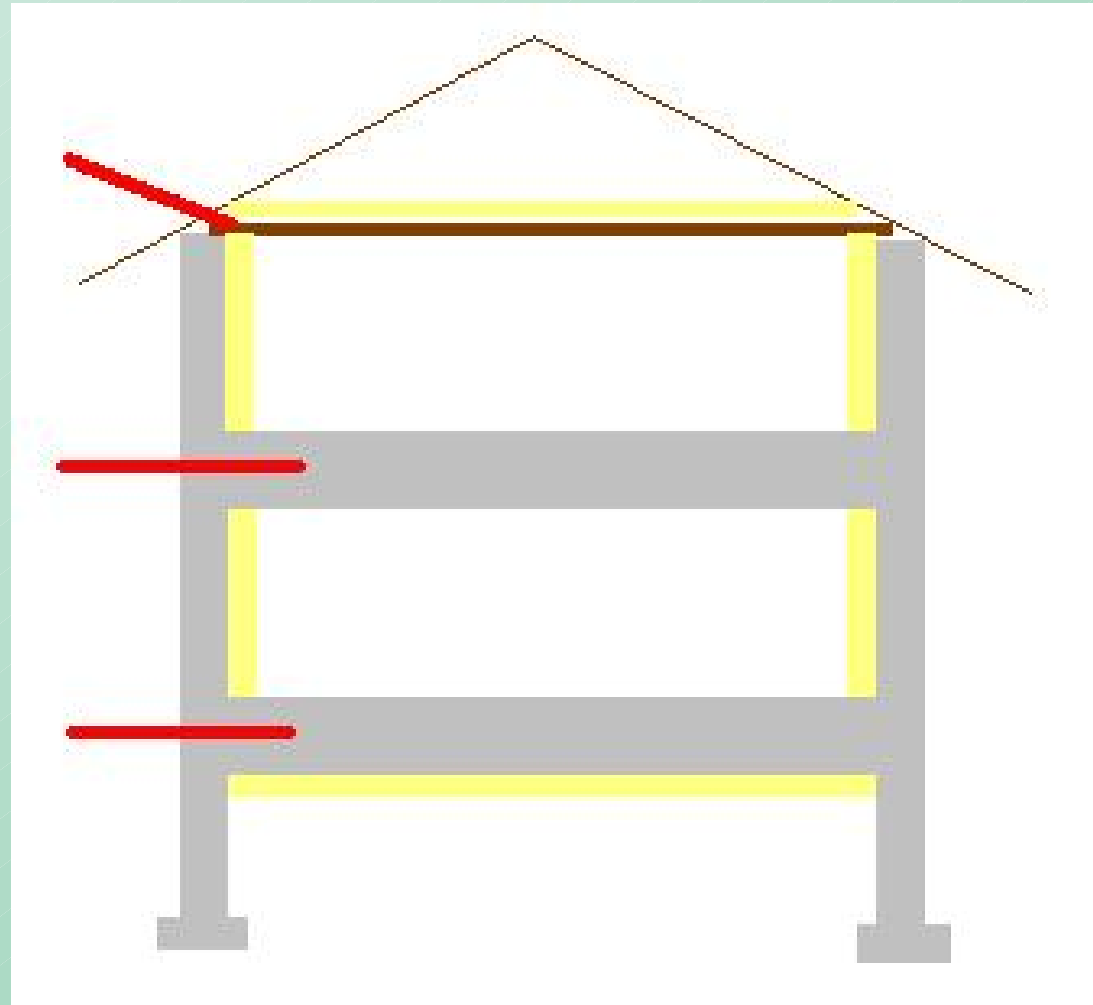
$$\Psi = 0.8$$

-> 1

$$\Psi = 0.5$$

-> 0.7

W/m/K



TREES $\Phi = \psi \cdot L \cdot (T_i - T_e)$ ψ in W/m/K



VENTILATION LOSSES



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Calculation of ventilation losses

- ▶ Minimum ACH determined by:
 - Biological need (fresh air for breathing)
 - Required ACH for fabric protection
- ▶ 2 ways of determination of ACH:
 - Fresh air required per person : 30 m³/h, person
 - Minimal air change rate: $n_{\min}=0,5 \text{ h}^{-1}$
- ▶ Infiltrations (spontaneous losses through window gaps, joints, shafts...)
- ▶ Ventilation losses : $ACH \cdot V \cdot \rho \cdot C \cdot (\vartheta_i - \vartheta_e)$

ACH: Air change rate [h⁻¹]

ρ : density of air, [m³/h]

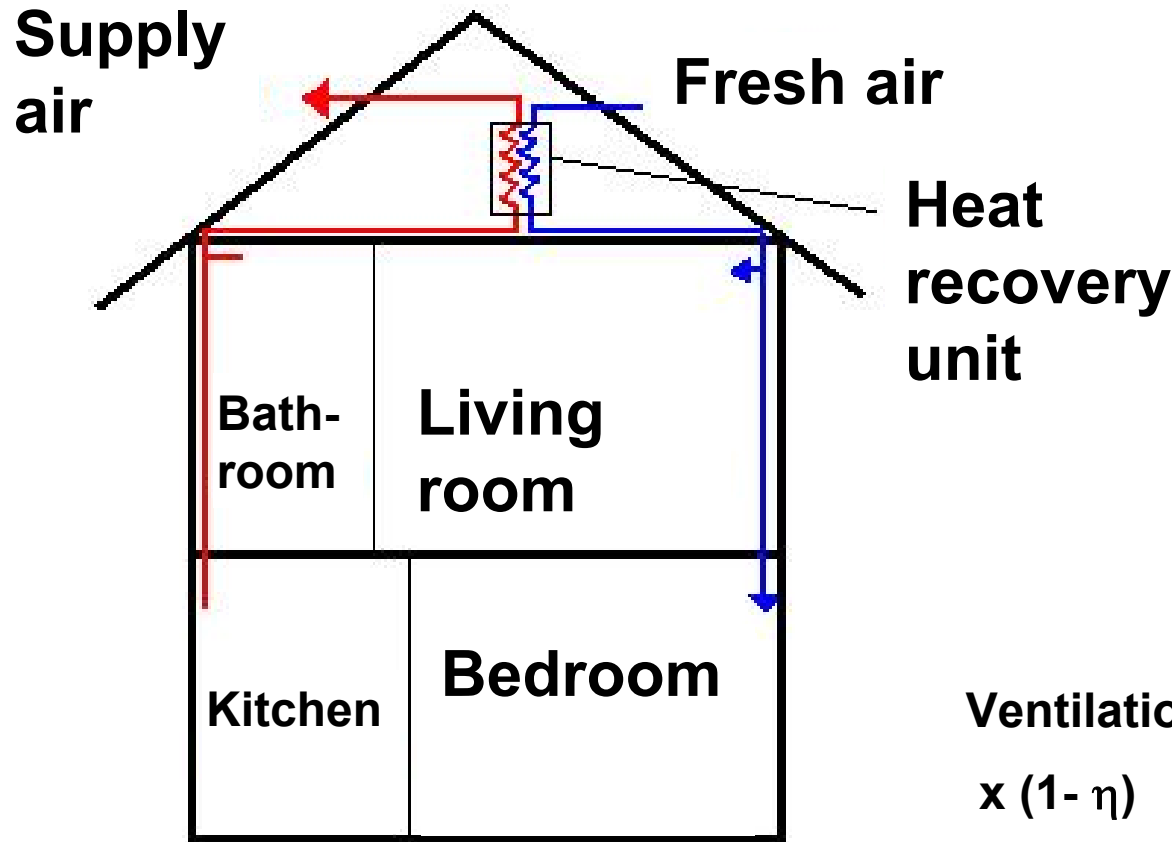
C : heat capacity of air = 1000 J/kg,K



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Preheating of ventilation air, heat recovery



Ventilation heat loss:

$$x (1 - \eta)$$

Efficiency of heat recovery

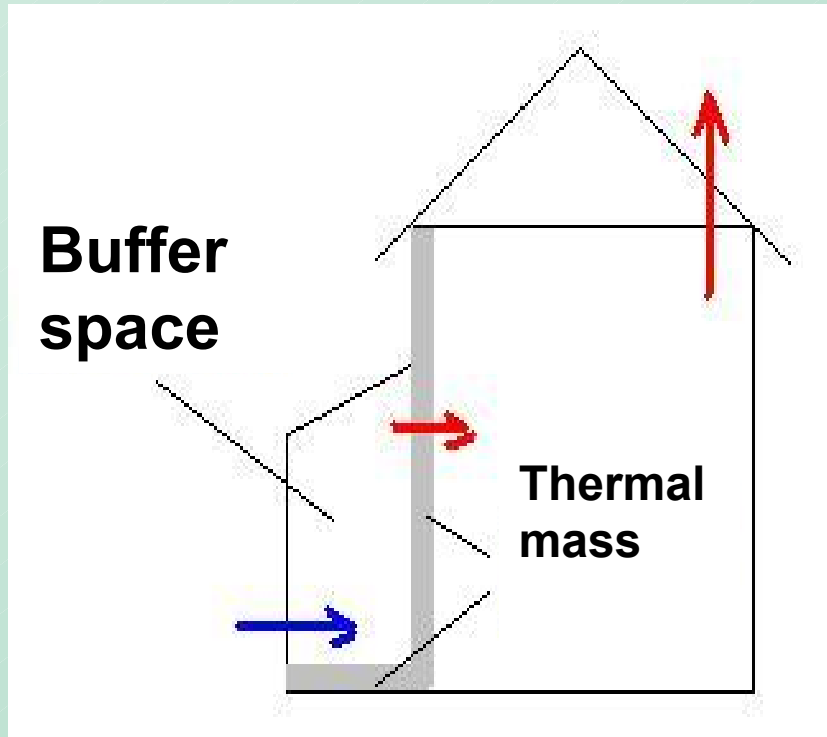
$$\eta = 60 \text{ .. } 90\%$$



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Preheating in a sunspace



SOLAR GAINS

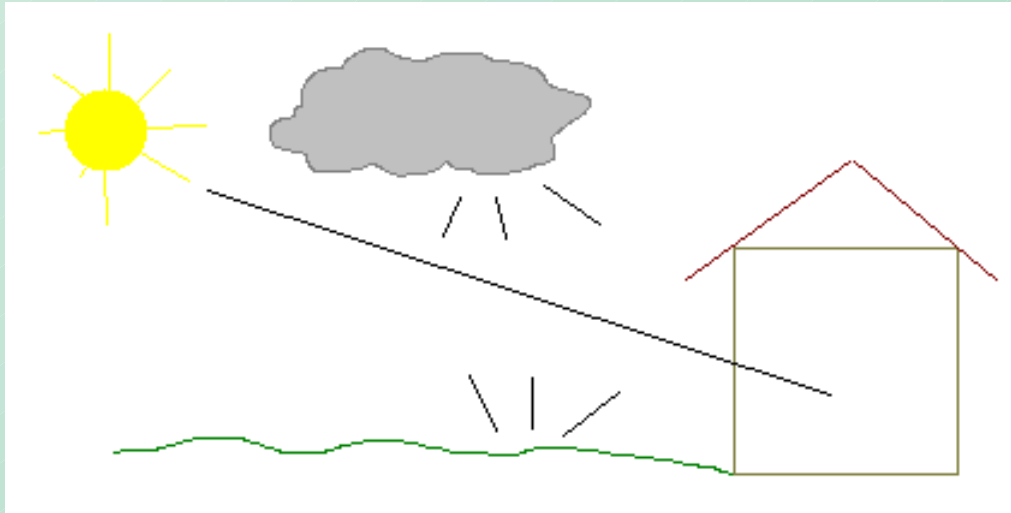


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Solar radiation

- ▶ 3 parties : direct, diffuse, reflected



- ▶ Radiation global horizontal
- ▶ Radiation on different vertical orientations



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Solar gains

Utilised solar gains depend on:

- ▶ Climate
- ▶ Geographical position of the site
- ▶ Orientation of glazing
- ▶ Shading objects (neighbouring buildings, trees)
- ▶ Shading coefficient of shading devices
- ▶ g-value of the glazing
- ▶ Thermal mass of the building

DESIGN VALUES OF SOLAR RADIATION DEPEND ON
THE LOCATION AND ARE GIVEN BY THE STANDARDS

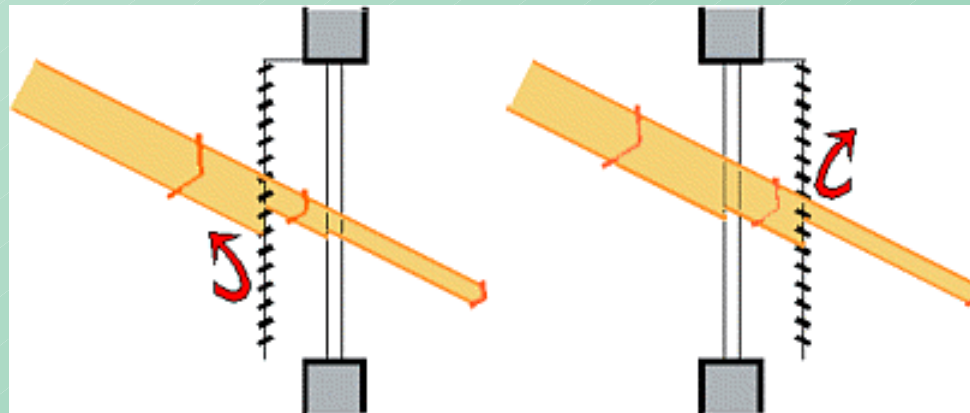


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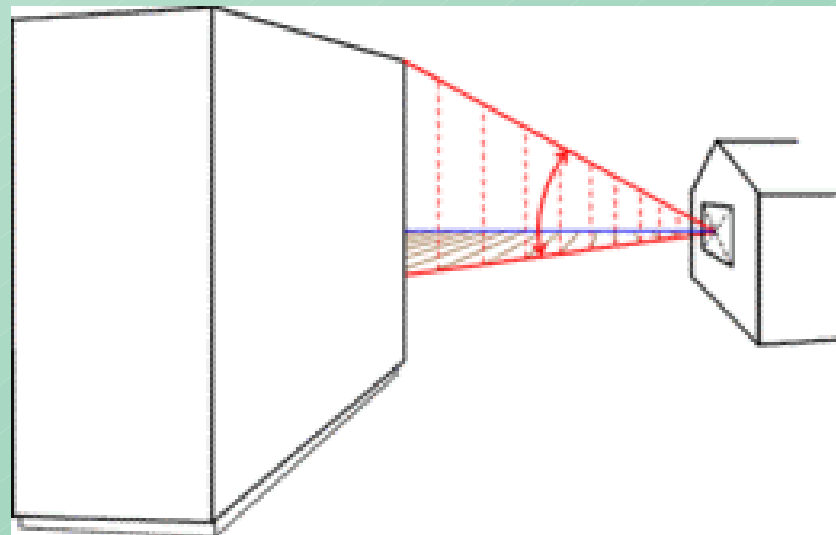
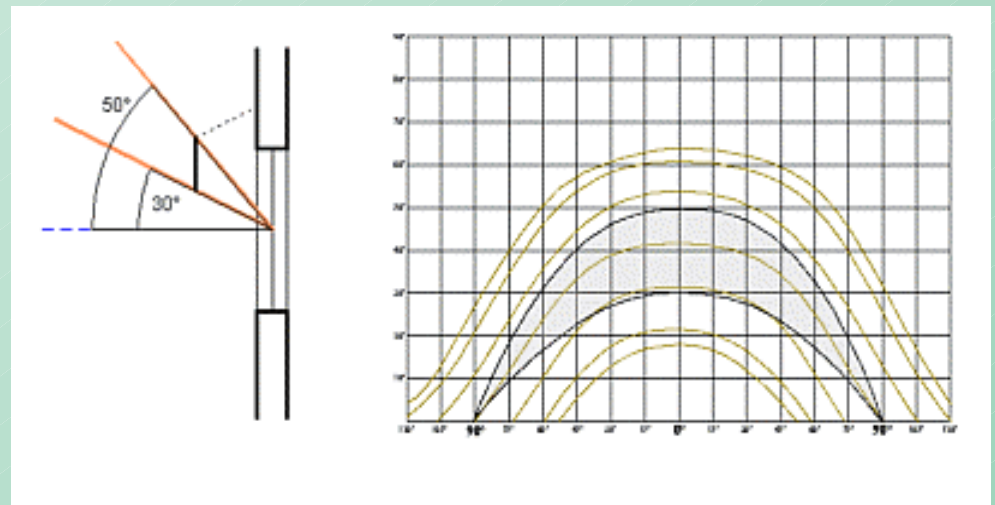
Shadowing devices and movable insulation

- ▶ Shadowing devices and movable insulation are of importance both in winter and summer from the points of view of reducing transmission heat losses and controlling solar penetration.
- ▶ If the shadowing device is outside, in front of the glazing, the total solar energy transmittance can be as low as 0,1-0,4. For the same device, if it is behind of the glazing, the shading coefficient is higher: 0,4-0,7.



Sun path diagram and shadow mask calculator

Sun path diagram and shadow mask calculator are tools to determine the shading effect of the neighbouring objects and shading devices



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INTERNAL GAINS



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Internal gains

- ▶ Occupants : about 100 W / person (in function of physical activity)
- ▶ Artificial lighting
- ▶ Office equipments (computers, photocopy machines)
- ▶ Cooking
- ▶ A part is lost (e.g. hot water)



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Energy consumption reduction by solar and internal gains

- ▶ The real reduction is only a part of the internal and solar gains. Expressed with efficiency: η
- ▶ η depends:
 - The proportion of the gains (γ : gains Φ_g / losses Φ_L)
 - The thermal mass and the time constant of the building
 - Heavy building can utilise more gains than light ones



THERMAL MASS



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Thermal mass

- ▶ The change of the stored heat is proportionate to the change of the temperature, the mass (m) and the specific heat (C):

$$\Delta q = m * C * \Delta T$$

- concrete : C=0.26 Wh/kg/K, 2400 kg/m³
- wood : C= 0.36 Wh/kg/K, 630 kg/m³
- polystyrene : C= 0.34 Wh/kg/K, 25 kg/m³
- glass : C= 0.5 Wh/kg/K, 2500 kg/m³



External and internal insulation, time constant

- ▶ Time constant depends on the level of thermal transmittance ($H=A*U$) and heat capacity $\tau = C / H$
 - If external insulation: lower $H \rightarrow$ higher τ
 - If heavy structures: higher $C \rightarrow$ higher τ
 - If internal insulation: lower thermal mass \rightarrow lower τ
- ▶ Maximum 10 cm of the inner part of exposed structures can store heat (for 24 hours). Mass and resistance of this layer is a key issue.
- ▶ Intermittent (programmed) heating can result in energy saving because of thermal mass



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HEATING LOAD CALCULATION FOR A PERIOD



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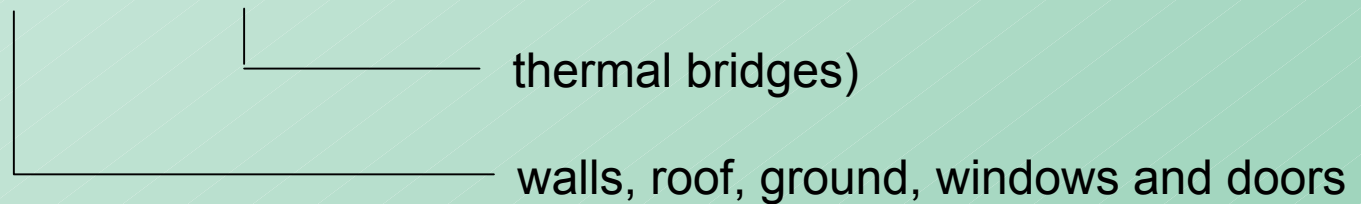


Heat losses during a period

- ▶ Heat loss coefficient: losses in case of 1K temperature difference:

- ▶ $H = H_T + H_v$

- ▶ $H_T = \{ \Sigma (U \cdot A) + \Sigma (\psi \cdot L) \}$



- ▶ $H_v = ACH \cdot V \cdot \rho \cdot C$

Prescribed indoor air temperature
for example $\vartheta_i = 20^\circ\text{C}$

- ▶ $\Phi = H \cdot (\vartheta_i - \vartheta_e)$

ϑ_e variable during the heating season

Yearly losses = Σ monthly losses = Σ hourly losses

$$\Sigma H (20 - \vartheta_e) = H \cdot \Sigma (20 - \vartheta_e)$$

Degree - hours based on 20°C



Degree - hours

- ▶ Simplification of climatic model
- ▶ $\Sigma (18 - \vartheta_e) =$ degree hours based on $\vartheta_i = 18^\circ\text{C}$
- ▶ Heating not needed if $T_e \geq$ balanced point temperature, depends on climate e.g. 12°C (internal heat gains)
- ▶ Examples for yearly degree hours:
 - Warsaw: 93 000 degree hours
 - Budapest: 72 000 degree hours
 - Paris : 58 000 degree hours
 - Nice : 32 000 degree hours
 - Athens: 34 000 degree hours
 - Copenhagen: 70 000 degree hours



Heating period

- ▶ $\theta_{\text{ext}} \leq \theta_{\text{int}} - \eta_1 \cdot Q_g / (H \cdot 24)$
- ▶ θ_{ext} : daily average outdoor temperature
- ▶ θ_{int} : daily average indoor temperature
- ▶ $\eta_1 = a / (a+1)$ (η for $\gamma = 1$)
- ▶ Q_g : daily average gains
- ▶ H = total heat losses in W/K
- ▶ In case of monthly calculations: $a = 1 + \tau / 15$
- ▶ Time constant $\tau = C / H$



Conclusions

- ▶ **EPBD, Energy certification, energy label**
- ▶ **Links with simulation**
- ▶ **Normative references:**
 - EN 832: Thermal performance of buildings – Calculation of energy use for heating – Residential buildings
 - prEN 410: Glass in building – Determination of luminous and solar characteristics of glazing
 - EN ISO 7345: Thermal insulation – Physical quantities and definitions (ISO 7345:1987)
 - prEN ISO 10077-1 Windows, doors and shutters – Thermal transmittance – Part 1: Simplified calculation method
 - EN ISO 13786: Thermal Performance of Building components –Dynamic thermal characteristics – Calculation method
 - EN ISO 13789: Thermal Performance of Buildings – Transmission heat loss coefficient – Calculation method

